KIT – University of the State of Baden-Wuerttemberg and National Research Center of the Helmholtz Association



# **Coarsening of Cu-rich Precipitates Located on Grain Boundaries in α-Fe Matrix**

## Ramanathan Perumal<sup>1,2</sup>, Rajdip Mukherjee<sup>1,2</sup>, Britta Nestler<sup>1,2</sup>

<sup>1</sup> Institute of Applied materials, Karlsruhe Institute of Technology (KIT), Haid-und-Neu-Str. 7, 76131, Karlsruhe, Germany **<sup>2</sup>**Institute of Materials and Processes, Karlsruhe University of Applied Sciences, Moltkestrasse 30, 76133 Karlsruhe, Germany

#### **Introduction**

Copper is being used in α-Fe P/M parts as an alloying element for improving their mechanical properties by solid solution strengthening and particle strengthening. At higher operating temperature, as the Cu-rich precipitates undergo coarsening with time that cause poor tensile strength. Computational modeling of the precipitate coarsening behavior requires an understanding of its physical processes and effect of heterogeneity in the matrix. To clarify the behavior precipitate coarsening on heterogeneous regions, specific quantitative studies would be helpful. Our current simulation is obtained from a multiphase field model which uses the thermodynamics database .

### **Multi-phase field model formulation**

Microstructural evolution is governed by phenomenological minimization of grand potential functional;

$$
\Omega\left(\mu,\vec{\phi},\mathit{T}\right) = \int_{V}\left(\Psi\left(\mu,\vec{\phi},\mathit{T}\right) + \left(\varepsilon a\left(\vec{\phi},\nabla\vec{\phi}\right) + \frac{1}{\varepsilon}w\left(\vec{\phi}\right)\right)\right)
$$

The grand potential density  $\Psi$ , as an interpolation of individual grand potential densities of  $\Psi_{\alpha}$ ,

$$
\Psi\left(\vec{\phi}, \mu, T\right) = \sum_{\alpha=1}^N \Psi_{\alpha}\left(\mu, T\right) h_{\alpha}\left(\vec{\phi}\right),
$$

where  $\Psi_\alpha$  are functions of the chemical potential  $\mu$  and of the temperature T in the system:

$$
\Psi_{\alpha}(\mu, T) = f_{\alpha}(\vec{c}^{\alpha}(\mu), T) - \sum_{i=1}^{K-1} \mu_{i} c_{i}^{\alpha}(\mu, T)
$$

 $c_i^{\alpha}$   $(\mu, \mathcal{T})$  are the inverse functions of the chemical potentials  $\mu_i$  ( $\vec{c}^{\alpha}, \mathcal{T}$ ).

Evolution equations for the concentration fields;

$$
\frac{\partial c_i}{\partial t} = \nabla \cdot \left( \sum_{j=1}^{K-1} M_{ij} (\vec{\phi}) \nabla \mu_j \right),
$$

The evolution equation for the N-phase field variables,

$$
\tau \varepsilon \frac{\partial \phi_{\alpha}}{\partial t} = \varepsilon \left( \nabla \cdot \frac{\partial a(\vec{\phi}, \nabla \vec{\phi})}{\partial \nabla \phi_{\alpha}} - \frac{\partial a(\vec{\phi}, \nabla \vec{\phi})}{\partial \phi_{\alpha}} \right) - \frac{1}{\varepsilon} \frac{\partial w(\vec{\phi})}{\partial \phi_{\alpha}}
$$

$$
- \frac{\partial \Psi(\mathcal{T}, \mu, \vec{\phi})}{\partial \phi_{\alpha}} - \lambda
$$







#### Hochschule Karlsruhe Technik und Wirtschaft UNIVERSITY OF APPLIED SCIENCES