Scattering from:

specimen in its container

empty specimen container

standard or calibration specimen

### Scattering from:

- specimen in its container
- empty specimen container
- standard or calibration specimen
- dark count (noise)
- detector dead time
- background

### Scattering from:

- specimen in its container
- empty specimen container
- standard or calibration specimen
- dark count (noise)
- detector efficiency
- background
- transmissions of each specimen
- incident beam intensity

Scattering from:

specimen in its container

empty specimen container

standard or calibration specimen

to get absolute intensity measurements, standard must have known scattering intensity

Scattering from:

specimen in its container

empty specimen container

standard or calibration specimen

dark count (noise)

includes errant x-rays - measure w/ strongly absorbing material in place of specimen

may vary with time

Scattering from:

specimen in its container

empty specimen container

standard or calibration specimen

dark count (noise)

detector efficiency

scale each datum to that of a detector w/ constant efficiency



Scattering from:

specimen in its container

empty specimen container

standard or calibration specimen

dark count (noise)

detector efficiency

background

e.g., pure solvent, or pure matrix material

### Scattering from:

- specimen in its container
- empty specimen container
- standard or calibration specimen
- dark count (noise)
- detector efficiency
- background
- transmissions of each specimen
  - cut beam intensity, measure direct beam I w/ & w/o specimen

General procedure:

1. Scale all data to incident beam monitor (synchrotron beam decays w/ time)

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2. Correct for detector efficiency

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1. Scale all data to incident beam monitor (synchrotron beam decays w/ time)

- 2. Correct all data for detector efficiency
- 3. Correct all data for empty cell and dark count

Now have:

$$I_{specimen}^{corr} = (I_{specimen} - I_{dark}) - (T_{cell \ full} / T_{cell \ empty})(I_{cell \ empty} - I_{dark})$$
$$I_{bkgrd}^{corr} = (I_{bkgrd} - I_{dark}) - (T_{bkgrd} / T_{cell \ empty})(I_{cell \ empty} - I_{dark})$$
$$I_{std}^{corr} = (I_{bkgrd} - I_{dark}) - (T_{std} / T_{cell \ empty})(I_{cell \ empty} - I_{dark})$$



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4. Get absolute *I*s

 $I_{abs} = (I_{specimen} f(\mathbf{q}) / I_{std}) (t_{std} T_{std} / t_{specimen} T_{specimen})$  $I_{bkgrd} = (I_{bkgrd} f(\mathbf{q}) / I_{std}) (t_{std} T_{std} / t_{bkgrd} T_{bkgrd})$ 

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5. Subtract bkgrd

Background treatment - complex need to consider what bkgrd should be w/ solns or dispersions, bkgrd usually includes scattering from solvent or dispersion medium <u>&</u> sample cell

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Standard specimen reproducible stable known scattering data scattering must be high isotropic scattering

See J. Appl. Cryst. (1990). 23, 321-333

Need to consider

wavelength spread collimation effects detector resolution

Wavelength spread

Lab x-rays + monochromator

Monochromator crystal set to scatter characteristic line wavelength spread is result of combined effects of natural line width mosaic spread of monochromator crystal collimation before & after crystal



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Lab x-rays + monochromator

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Synchrotron spectrum cont<sup>s</sup> - wavelength spread determined only by mosaic spread of monochromator & collimation

Wavelength spread

Lab x-rays + monochromator

Monochromator crystal set to scatter characteristic line wavelength spread is result of combined effects of natural line width mosaic spread of monochromator crystal collimation before & after crystal

Synchrotron spectrum cont<sup>s</sup> - wavelength spread determined only by mosaic spread of monochromator & collimation

Both conventional & synchrotron X-ray sources - wavelength spread  $\sim \Delta \lambda / <\lambda >$  typically  $< 10^{-3}$  & neglected in most cases

### Collimation



#### Detector

3 contributions to spatial resolution

division of detector into pixels

method of detection

method of position determination

latter 2 dominant

Combined resolution fcn

$$R(\mathbf{q}, \langle \mathbf{q} \rangle) = (2\pi\sigma\sigma_{C2})^{-1}$$
$$\times \exp\left[-\frac{1}{2}\left(\frac{(q_1 - \langle q \rangle)^2}{\sigma^2} + \frac{q_2^2}{\sigma_{C2}^2}\right)\right]$$

$$\begin{split} \sigma_{C2} &= \langle k \rangle \Delta \beta_2 / 2 (2 \ln 2)^{1/2} \quad \Delta \beta_2 = 2r_1 / L - \frac{1}{2} \frac{r_2^2}{r_1} \frac{\cos^2 \langle 2\theta \rangle}{l^2 L} \\ &\times (L + l/\cos \langle 2\theta \rangle)^2 \qquad \text{for } a_1 \geq a_2 \end{split}$$

 $\sigma$  - parameter related to FWHM of function

ex: 
$$\sigma_{\lambda} = \Delta \lambda / [2(2 \ln 2)^{1/2}]$$

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